

Precise GPS time transfer to a moving vehicle

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BIOGRAPHY

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ABSTRACT

GPS time transfers normally employ the common-view method and take place between pairs of stationary receivers at precisely-known locations. This paper focuses on techniques for time transfer to a

GPS navigation receiver on a moving ship, a land vehicle or aircraft. The accuracy requirement is 20 ns (1 σ) and, preferably, the system should work anywhere on earth.

Single point precise orbit and clock positioning emerges as the best way of achieving extremely high timing accuracy when computation is performed post-mission. Its key advantage is its global coverage without reference stations or communications links. DGPS time transfer using a calibrated time standard at the reference station is a viable alternative. It may be employed in real time, although its performance may also benefit from post-mission processing using precise orbit data. Both these techniques will be presented in detail and their performance evaluated.

The context of this study is the measurement on a moving ship, a land vehicle or aircraft of the arrival times of Loran-C pulses. The arrival times are required in order to calibrate the Additional Secondary Factors (ASFs) caused by the propagation of the signal over land paths. In this application all processing may be carried out post-mission.

Our experiments show that both timing methods can meet the 20 ns accuracy requirement. The paper compares the two with one another and with more conventional timing techniques, including time transfer via a common-view satellite and geodetic positioning. The specifications of the GPS receivers required to implement the methods are set out. The techniques presented are, of course, also applicable to GPS time transfers between stationary locations.

INTRODUCTION

A GPS signal propagates through the earth's atmosphere on its way from the satellite to the user. The signal's propagation in the atmosphere is slower than in a vacuum and its arrival is delayed in consequence. We must take this delay into account when calculating the distance from the satellite to the user.

Loran-C (Long **R**ange Navigation) is the **w**orld's most widely-used terrestrial aid to navigation. Its mode of operation may be considered comparable to that of GPS in that transmitters at known locations radiate signals and a receiver **calculates** its distances from them by timing their arrivals and from 'knowledge of their speed of propagation. Loran-C signals suffer propagation **delays** when they cross land masses which are analogous to the delays of GPS signals passing through the atmosphere. However, unlike GPS atmospheric delays which change constantly, the land-mass delays of Loran-C are virtually constant. We can measure and record these 'Additional Secondary Factors (**ASAFs**)' and so **incorporate** them into the range measurements made by receivers [1,2].

We determine ASF values by measuring on a survey ship, a land **vehicle** or aircraft the arrival times of Loran-C signals at 'known locations. These positions must be 'known with **1σ** accuracies of approximately 7 m and the time measurements made with an accuracy of better than 20 ns. GPS is a candidate to provide both the position and time references. This paper focuses on ways of obtaining precise time with GPS on a moving vehicle. Our objective is a low-cost technique which may be employed as part of a fully automatic unattended, measuring unit to be installed on a ship and left to record Loran-C information throughout a voyage. The recorded data will be processed at the end of the voyage to reveal the ASF values. The equipment may be used anywhere throughout the sea area³ of North-Western Europe.

This is an unusual and very demanding application of GPS for time measurement. Without being GPS **timing experts**, we sat down and evaluated the following standard GPS timing techniques: 'common-view', 'Enhanced GPS' and 'geodetic positioning' to see whether any of them could fulfil our requirements.

STANDARD GPS TIMING TECHNIQUES

In the 'common-view method', two very accurate and stable clocks are used as the time references for two GPS receivers and compared against the clock of a pre-selected GPS satellite which is visible to both receivers [3,4,5]. Conventionally the time measurements are averaged over a period of 13 minutes. The two receivers are stationary, in precisely-known locations. Corrections are applied to account for the differences between the distances travelled by the signals **from** the satellite to the locations of the two receivers.

This time transfer method is unsuitable for our purpose: our receiver will be in an unknown location, and moving, and we do not have a relatively-

expensive atomic standard as part of the mobile equipment to use in the averaging process.

'Enhanced GPS' was the second technique evaluated. **M**OST of the effects of Selective Availability (SA) may be averaged out by using a stable reference clock for instance a rubidium standard [6]. The rubidium clock is stable in the short term and the effects of SA are minimised by adjusting it to match GPS **via** a control loop of very long time constant. The performance of this technique is not **as good as** that of the common-view method. Besides, it requires a rubidium standard as part of the mobile equipment which is costly and would need several hours of SA averaging time before use.

Geodetic positioning used **for** precise time transfer can provide very high accuracy [7]. The method employs GPS carrier phase measurements. It is, of course necessary to solve for the phase ambiguities on the fly in our application. This is very **demanding** to do when the mobile is a considerable distance from the reference station. It is made even more difficult **if the receiver experiences cycle slips because of** short periods of signal blockage. We judged **this** otherwise very accurate method **inadequately** robust for unattended use on a vessel.

Having found none of these standard GPS timing techniques suitable for our application, we identified two less conventional options: Precise Single Point (PSP) and 'DGPS' time transfer. PSP is a new technique for timing applications; it employs precise orbit **and clock values** post-mission. DGPS time transfer is essentially the same as conventional DGPS. However, the reference station is equipped with an accurate **clock** and generates **range** corrections instead of the usual pseudorange corrections. We will now describe and demonstrate these two options in further detail.

PRECISE SINGLE POINT TIME TRANSFER

Stand-alone GPS has a timing accuracy of only some 300 **ns**. This is limited mainly by the component of SA which dithers the satellites clocks and, to a lesser extent by the component which introduces errors in the ephemeris values they broadcast. The principle of PSP is simply to replace the broadcast clock and orbit parameters with so-called precise orbit and clock' values. The European Space Agency (ESA), inter alia, calculate such values post-mission, using data from the stations of the International GPS Service (IGS).

PSP has been used for positioning [8,9], achieving an accuracy comparable to that of DGPS. However, not only are the three position coordinates, latitude, longitude and height, determined in the GPS solution,

the receiver's clock offset; 4 unknowns and at least 4 satellites are needed to do this. Our assumption was that the timing accuracy obtainable should be comparable to the position accuracy. Specifically a 3D position accuracy of 7 m, for example, would correspond to a 1 σ timing accuracy of 10 ns (applying the 'TDOP is half the PDOP' rule of thumb and assuming that 1 m is the distance travelled by signals in 3 ns).

Essentially PSP may be thought of as wide-area, post-processed, DGPS. It has the great advantage of complete global coverage while not requiring the need to provide any reference stations. In addition, not only does it give precise time values, but also the precise position values which we also need.

However, there are complications! We must ask: what time does PSP provide? It appears that time values derived using the ESA PSP data use a time scale, re-computed independently each day which is referenced to GPS time (including the instantaneous effects of SX) at the epoch of the start of that day.

Our objective in making Loran-C time-of-arrival measurements is to compare the arrival times of Loran-C signals with their transmission times. These are known very precisely with respect to a timescale generated in France: the so-called 'UTC (Brest)'. The solution to the problem of the time scale is therefore straightforward: we simply observe the difference between PSP time and UTC (Brest) by means of a GPS receiver located at the Brest Loran-C control centre. Because this means we are now employing a single GPS time reference station, we have chosen to regard PSP as a time transfer technique.

This method of time measurement is very attractive since it requires neither reference stations, nor rubidium standards, but simply the logging of pseudorange measurements at the mobile and at Brest.

Computing PSP solutions

The 'precise orbit' files from ESA give the satellite position every 15 minutes using the earth-fixed International Reference Frame (ITRF). The consistency of this system with the World Geodetic System (WGS) 1984 is believed to be within approximately 1 m. We have used a 9th-order Lagrange polynomial to interpolate the satellite coordinates to any epoch transformed the coordinates from ITRF to WGS84, and corrected the pseudorange for the phase-versus-mass-centre offset. The latter adjustment is required because the precise orbit coordinates calculated are those for the satellites mass centre, while the pseudoranges are measured with respect to its antenna phase centre. The difference is

85.4 cm for Block I satellites and 95.2 cm for Block II satellites; this offset must be added to the observed pseudorange [8]. Finally the satellite coordinates were corrected for the Sagnac effect i.e. the rotation of the earth-tied reference frame during the travel time of the signal from the satellite to the receiver.

The ESA clock data, in contrast to standard 15-minute precise ephemeris data, contains precise clock values at 1 minute intervals. For PSP use, this shorter interval is essential, given the relatively rapid SA dithering of the satellites clocks. We used a 5th-order Lagrange polynomial to interpolate the clock values to any epoch and corrected the observed pseudoranges for the satellite clock offsets. The clock values from ESA come already corrected for the periodic relativistic effects caused by the slightly eccentric orbits of the satellites.

For the results presented in this paper we have simply ignored the existence of the ionosphere. We are currently close to the low point of the 11 year solar cycle and so the solar activity causes relatively little ionospheric delay. We believe that in the future, as solar activity increases again, it would be valuable if the IGS computing centres published additional parameters which single-frequency GPS users could employ for calculating ionospheric delays.

We estimated tropospheric delays by means of Black's model [10], assuming a surface temperature of 15°C and a pressure of 980.0 mbar.

DGPS TIME TRANSFER

Standard DGPS pseudorange corrections improve the accuracy of positions over that of non-differential GPS, but not the accuracy of timing. This is because the reference station does not have a precise clock. 'DGPS time transfer' employs a reference station equipped with an accurate clock - normally an atomic standard. Thus it is able to generate true range corrections and not simply pseudo-range corrections. The mobile adds these range corrections to its measured ranges, and then calculates its position and also its receiver clock offset. This clock offset is with respect to the clock at the reference station and, as with PSP, the timing accuracy should be commensurate with the position accuracy. This method may also be used over longer base lines and also when there are fewer than 4 satellites in common view, provided that the position of the mobile is then provided by other means. DGPS time transfer may be carried out in real-time, which is essentially what happens when using the RTCM SC-104 type 9 message [11]. Alternatively, it can be computed post-mission; in that case a further improvement in accuracy may be achieved by replacing the broadcast parameters with precise orbital data. We favour the latter solution.

because it involves no real-time **data links**.

DGPS **time transfer** is not unlike the common-view method, but it involves no averaging and also it may be **used** if the **receiver's** position is unknown (as **long as** there are 4 or more satellites in common view). If both receivers' positions are **fixed** it has the advantage that the **measurement** is made against all **possible** satellites, rather than just a single satellite. This increases the **accuracy** of the **measurement** and gives greater redundancy than does the common-view method. The disadvantage of post-mission DGPS time transfer over the common-view method **is** that pseudorange records must be stored, but **this is** acceptable in our application.

RECEIVER HARDWARE REQUIREMENTS

A GPS receiver has two internal clocks: a so-called 'hardware clock' and 'software clock'. The hardware clock is the externally accessible, physical, clock which provides, for instance, 1 PPS output and higher-frequency outputs. It is the internal clock against which input **strokes** are used to time-tag **external** events or it may be a higher frequency external clock fed into the receiver. The software clock is the internal clock against which the receiver measures the arrivals of the satellite signals and so calculates pseudorange values. If the GPS receiver is used in a precise timing application, it is essential that the hardware clock be **accurately** synchronized to the software clock, or that, if not, the discrepancy between them is recorded. Not all GPS receivers fulfil this essential **requirement**.

Further, the **signal** delay from GPS antenna, through the antenna cable and the front-end of the receiver to the **point** at which time measurements are made, must **have** been calibrated and must remain **constant**. These specialised timing requirements mean that the GPS receiver to be used must be chosen with care if good timing performance, as well as accurate position measurements, are to be obtained. **And** both timing and position measurement functions must work well when the **receiver** is in motion.

PSP VERSUS DGPS TIME TRANSFER

DGPS time transfer has the **advantage** compared to PSP that it **may** be implemented in real-time, but for our application this is of no great benefit. The two techniques are expected to give comparable timing accuracies, and both **methods** output an accurate position as well as accurate time. DGPS time transfer **suffer** from baseline **limitations**, and several **reference** stations would be required to **cover all of** North-West Europe. If we are to use the DGPS time

transfer technique to get both time and position information on the mobile, we will need to install several DGPS reference stations because of the **large** operating **area**.

An **advantage** of DGPS time **transfer** is that, to the **extent that** the ionospheric and tropospheric **delays** experienced at the **reference** station are the same as those at the mobile, their effects will cancel out; this will generally be the case for separations of up to several hundred **kilometres**. Moreover DGPS does not need precise clock values. PSP, on the other hand, offers global coverage.

From a theoretical point of view both methods appeared feasible for our application. To establish whether that would be the **case** in practice we set up an experiment to demonstrate and evaluate the **performance** of the two techniques. We also **wished** to **confirm** that the specific GPS receiver **model** we **planned** to use, a NovAtel GPSCard 3951R Narrow Correlator receiver, was **suitable** for **precise time transfers**. We **learn** from previous **experiences that this receiver** had a satisfactory **navigational performance** [12,13,14].

RESULTS AND ANALYSES

Measurements and computations

The measurements **were** conducted at Direction des Constructions Navales (DCN) at Brest, France, the location of the UTC (Brest) time standard. UTC (Brest) is a time scale realized by a **system** based on a minimum of two HP 5071 high performance caesium beam tubes. It is used for **Loran-C synchronisation**. Our measurement setup compared the 1 PPS's hardware clock signal **from** the NovAtel receiver with that of the UTC (Brest) standard, using an HP 5345 time interval counter with a **resolution** of 3 **ns**. We could **have** employed the option provided by the **NovAtel** receiver to time-tag incoming pulses. However, this function has a resolution of only 49 **ns** approximately. For the same reason **it** will not be used in the final XSF measurement system.

The antenna of the GPS receiver was mounted without a choke ring above a metal roof which gave noticeable multipath reflections of the satellite signals but is probably more typical of a mobile installation. A 45 m antenna cable with two **connectors** **was** used, attenuating the satellite signal by some 4-5 **dB** and resulting in a poor signal-to-noise ratio (SNR).

We allowed the **NovAtel** receiver's hardware and **software clocks** to drift freely and recorded the timing of the hardware clock (1 PPS) against UTC (Brest) once per second. We **also** stored the pseudoranges **measured** and the **difference** between the receiver's

Position	Latitude	Longitude	Height
Mean (m)	0.85	-0.23	1.85
RMS (m)	2.51	1.55	4.77

Table 1: PSP position solutions for a 17-hour-long session compared against the position of the antenna at Brest which was recorded in WGS84.

hardware and software clocks. The measurements took place 5 and 6 April 1995 and SA was in operation.

At the subsequent data-processing stage we calculated the receiver's software clock error and used it, together with the recorded differences between the hardware and software clocks, to compute the hardware clock errors. We then tested both the PSP and DGPS time transfer techniques, using the same raw data. We adopted a cut-off elevation mask of 10° and a maximum GDOP of 5.

As reference stations for the DGPS time transfer measurement we selected the two IGS reference stations at Ny-Ålesund (79° north and 12° east) on the Arctic island of Svalbard and Herstmonceux (51° north 0° east) in the United Kingdom. Ny-Ålesund is 3477 km, and Herstmonceux 451 km, from Brest (48° north and 5° west). As reference clocks Ny-Ålesund employs a Hydrogen Maser time standard and Herstmonceux only a Rubidium standard.

Results

The results to be presented should be compared with our accuracy requirements of 7 m in position and 20 ns in time.

The PSP position solutions for a 17 hour-long data set are shown in Table 1. The results are slightly poorer than had been achieved using similar measurements by Lachapelle [8]; this is very much to be expected in view of the relatively-high multipath environment and the low SNR as described above.

The timing performance from the same data is displayed in Figure 1. The time jump at GPS time 345600 occurs at mid-night and is due to the change of daily time reference by ESA (see Section 'Precise timing point time transfer' above). When this step is removed (by calculating the mean offsets of the data sets from the two days), the time data has a 1σ variation of 11.6 ns. We also calculated PSP solutions using the known, fixed, position: this reduced the 1σ variation to 4.2 ns. The mean difference between the time solutions with unknown and fixed positions was 3.3 ns.

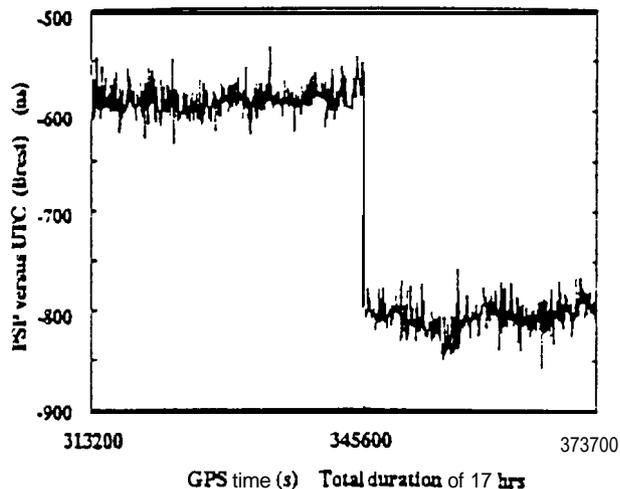


Figure 1: PSP time versus UTC (Brest) when the antenna position is assumed to be unknown. The shift at GPS time 345600 is because of the daily change of reference time of the ESA clock data.

Position	Latitude	Longitude	Height
Mean (m)	0.03	-0.04	-1.36
RMS (m)	3.58	2.24	7.31

Table 2: Brest positions determined using the DGPS time transfer technique, employing precise orbit data, from Herstmonceux. The results from a 17-hour-long session compared against the position of the antenna at Brest which was recorded in WGS84.

DGPS time transfer using Herstmonceux as the reference station gave the position results shown in Table 2. The mean offset is a little less than that of the PSP solutions in latitude and longitude (and better than one would normally expect from DGPS over a 451 km distance) and the height components are similar. The RMS variations of the DGPS solution are slightly greater than those from PSP.

The accuracy achieved using DGPS time transfer from Herstmonceux is a little difficult to establish because the reference clock there drifts relatively quickly. We, therefore, did the calculation as a two-step process: at every epoch we first calibrated the Herstmonceux clock by computing a PSP solution there, assuming its tied position; then we calculated the results of the DGPS time transfer from Herstmonceux to Brest, assuming that the position of the receiver in Brest was unknown but using precise orbit data. The result was a 1σ variation of 15.8 ns when compared with UTC (Brest). This is a very satisfactory performance, bearing in mind that allowance must be made for the errors in the PSP time

Time	Precise orbits	Broadcast Orbits
1σ (ns)	3.7	4.1

Table 3: DGPS *time* transfer from *Ny-Ålesund* to *Brest*. Because of the exceptional 3477 km separation of the two stations, relatively-few common-view satellites were available and 90 the known locations of the stations were employed.

calibration of the Herstmonceux clock to which no smoothing was applied.

Finally, we also went one step further, and closed the *Herstmonceux-Brest* loop, to check that we had no residual offset values: first we calculated PSP solutions for *Herstmonceux* assuming that its position was unknown; then we did a DGPS time transfer to *Brest*, with the position of *Herstmonceux* fixed and *Brest* unknown and using precise orbit data; and finally we compared this result with the PSP solutions for *Brest* assuming its position unknown. We got a mean offset of 0.024 ns for the 17 hours long session. This tiny residual value shows conclusively that the residual offsets over a period of 17 hours are negligible.

Finally, we set out to evaluate the performance of DGPS time transfer over longer base lines. We also wished to check the difference in performance if we used broadcast orbit data rather than precise orbit data. For this experiment we used data from *Ny-Ålesund*, comparing its very accurate Hydrogen Maser clock against UTC (*Brest*). We employed the known positions of the two stations since they were so far apart that they could only see the required common-view satellites (four or more, above 10° elevation, with a $GDOP \leq 5$) for about 50% of the time. There were hour-long gaps with fewer than four common-view satellites.

The standard deviations obtained with both precise orbits and broadcast orbits are shown in Table 3. The 1σ variation using broadcast orbit data was 4.1 ns. When the precise orbit data was employed this fell to 3.7 ns. These results are so good that the 2 ns resolution of the time interval counter used becomes a significant factor! The mean difference between the precise orbit solutions and the broadcast orbit solutions is 0.4 ns. And the improvement between them due to using precise orbit data is less than 1 ns; this suggests that SA was having little effect on the satellites' broadcast orbit data during our measurements. (It has been reported that the principal component of SA recently has been clock dither and that the orbital component has been relatively weak.) Figure 2 shows the time transfer results when using the poorer, broadcast, orbit data.

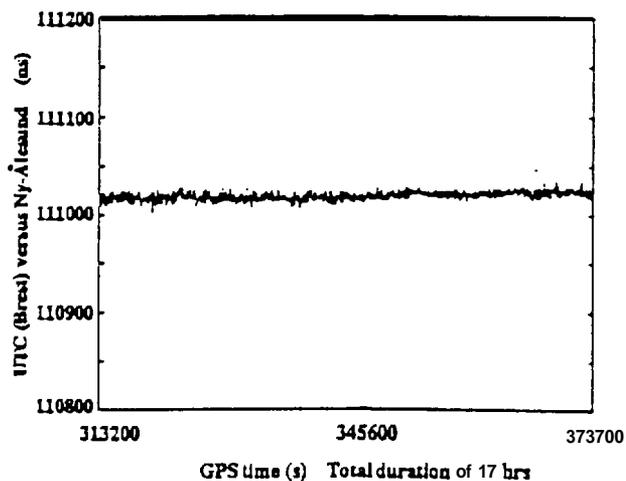


Figure 2: DGPS time transfer from *Ny-Ålesund* to *Brest* using broadcast orbit data. The positions of both stations are assumed to be fixed. The 1σ variation is only 4.1 ns.

Summary of the results

We have demonstrated that both the PSP and DGPS time transfer methods satisfy the requirements set out in the introduction to this paper (7 m in position and 20 ns in time, 1σ), with some margin in hand. Thus we consider both methods to be excellent candidates for our application.

We have ignored the existence of ionospheric delays in our PSP solutions, and got away with this because of the favourable conditions at the current point in the solar cycle. We will certainly develop a satisfactory way of estimating the ionospheric delays if we conduct further PSP time transfers in the future. DGPS time transfer is much less affected by atmospheric delays.

The *NovAtel* receiver we used performed very satisfactory. We still have left to assess its long-term timing stability.

Our next objective is to demonstrate time transfer, using these techniques, on a ship. We chose, to conduct the experiment in two stages, employing a stationary receiver for the first because it makes the measurements much simpler. However, there are strong reasons for arguing that the results are also valid for time transfer to a moving vehicle: we have demonstrated that we can achieve timing accuracies commensurate with the positioning accuracies of our GPS receiver. The navigation performance of the receiver when in motion is known to be similar to its static performance [12,13]. In addition, the long term position performance of PSP [8,9] and of DGPS are well known and satisfactory which indicates that the results are reproducible. In addition, apart from being at a fixed location, our stationary measure-

ments were conducted under very realistic conditions, with no antenna choke ring, a poor multipath receiving environment and low SNR.

This paper focuses principally on the stability of time transfers, rather than on absolute accuracy. Achieving absolute timing is a matter of calibrating offsets and thereafter ensuring that receiver delays do not change significantly with time and temperature - by more than some 5 ns in our application. GPS receivers especially designed for time transfer necessarily fulfil this requirement.

CONCLUSIONS

The objective of this investigation was to identify low-cost time transfer techniques suitable for eventual use on a moving ship, a land vehicle or aircraft. The demanding accuracy requirement set was 20 ns, and the technique had to be capable of being implemented in an automatic, unattended, measuring system, and, preferably, offering global coverage. This is a very unusual timing application of GPS.

Two possible techniques have been identified and evaluated: the use of precise orbit and clock values to calculate the accurate time and position post-mission, and DGPS time transfer with an accurate clock at the DGPS reference station.

The results reported here demonstrate that both techniques offer time stability of the order of 10 ns (or less). A NovAtel GPS receiver was used for the measurements, and its position was assumed to be unknown and was calculated together with the precise time as will be the case in the eventual application. Even better results were achieved when the receiver's position was assumed to be known and fixed. It is anticipated that both techniques are suitable for our application.

Precise orbit and clock solutions give global coverage, and may be used for precise time transfer between GPS receivers at opposite sides of the world, stationary or mobile, in known or unknown locations.

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